

Treatment of n' Production in Heavy Water by STEREO

November 8, 2022 ORNL $n - n'$ Collaboration Meeting

Cary Rock

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Lindblad Equation

$$\frac{d\rho}{dt} = -i[H\hat{\rho}] + L\rho L^\dagger - \frac{1}{2} \left\{ L^\dagger L, \hat{\rho} \right\}$$

The Lindblad equation has three terms:

- ▶ the commutation of ρ and H
- ▶ two terms involving the Lindblad operator, L , which describes the interaction of the system with the environment (e.g., absorption)
- ▶ The Lindblad operator is problem-dependent

In the STEREO collaboration's calculations, this produces the “swapping probability”:

$$p = \frac{2\varepsilon^2}{(\Delta E + V_F)^2 + 4\varepsilon^2 + \frac{(\hbar\Gamma)^2}{4}}$$

STEREO's Swapping Probability

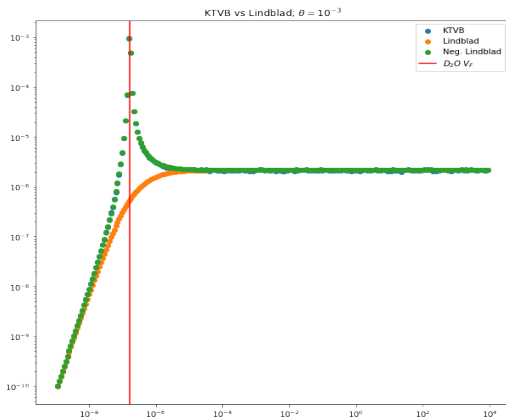
$$p = \frac{2\varepsilon^2}{(\Delta E + V_F)^2 + 4\varepsilon^2 + \frac{(\hbar\Gamma)^2}{4}} = \frac{2(\theta\Delta m)^2}{((E_n - E_{n'}) + V_F)^2 + 4(\theta\Delta m)^2 + \frac{(\hbar\Gamma)^2}{4}}$$

- ▶ The $(\hbar\Gamma)^2$ term is the absorptive term
- ▶ Note: their formulation has $\Delta m > 0$, instead of our $\Delta m < 0$, meaning no compensation by V_F .
- ▶ They explain this as the SM brane being at a lower energy than the SM' brane (in String theory).

So?

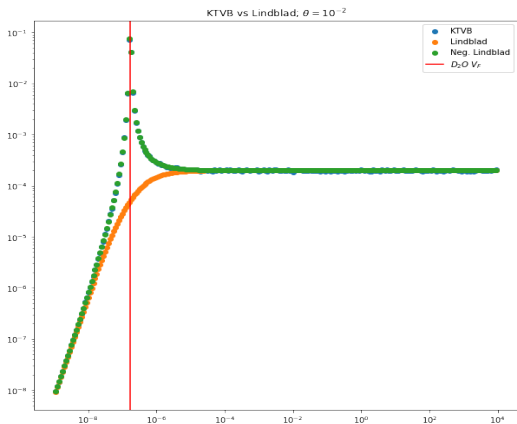
- ▶ We expect resonance when $\Delta M = V_F$, they should expect resonance when $-\Delta M = V_F$
- ▶ At large positive or negative Δm , the results coincide (ε dominates $\implies p \rightarrow \approx \frac{2}{\frac{1}{\theta^2} + 4}$).
- ▶ In D_2O , absorption is a small contribution, so should see resonances in STEREO's swapping probability in the same place as KTVB's.

Plots - D_2O , $\theta = 10^{-3}$



- ▶ As expected, plotting STEREO's probability computed with negative mass sees the resonance at the same place (the green). It overlaps with the KTVB result (the blue).
- ▶ The same without the negative value of mass sees no resonance (the orange).

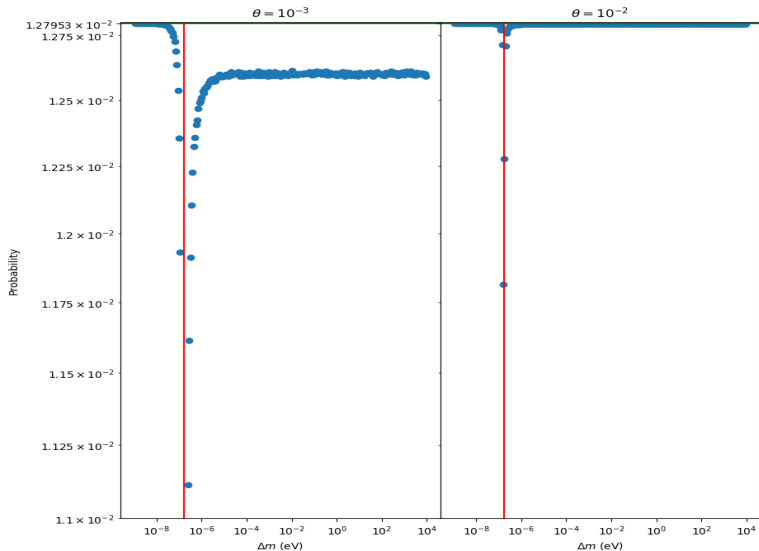
Plots - D_2O , $\theta = 10^{-2}$



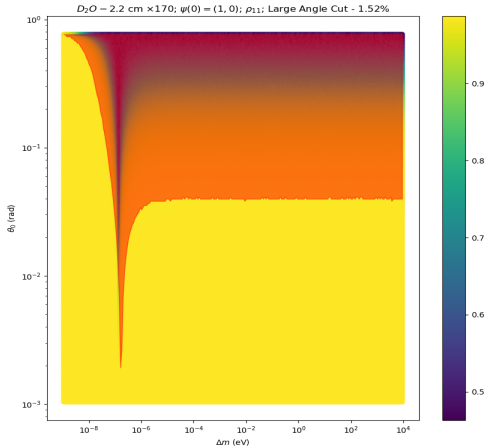
- ▶ Qualitatively the same result here.
- ▶ For large ΔM , $p \rightarrow \frac{2}{10^4+4} \approx 2 \times 10^{-4}$

Plots - KTVB Absorption for $\theta = 10^{-3}$ and $\theta = 10^{-2}$

D_2O 2.2×170 ; $\psi(0) = (1, 0)$; step



Excluded Region Plot - $\psi(0) = (1, 0)^T$



- Everything in the red-shaded region should be excluded. The effects of large-angle oscillations would be easily noticed.

END