

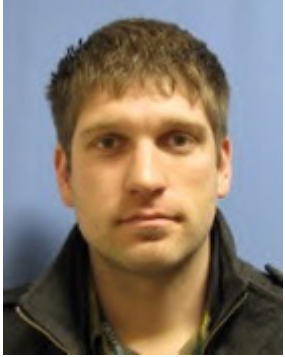
# Quantum-enhanced detection of particles and fields

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ORNL is managed by UT-Battelle LLC for the US Department of Energy

# Quantum Sensing and Instrumentation team members

New QuantISED project; FWP submitted last month  
ORNL local team members:



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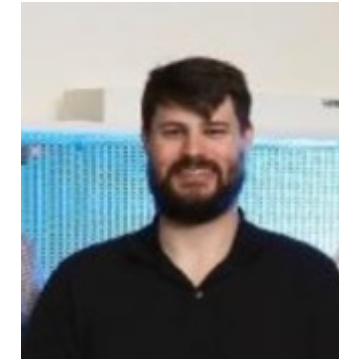
Seongjin Hong



Claire  
Marvinney



Raphael Pooser



Matthew Feldman

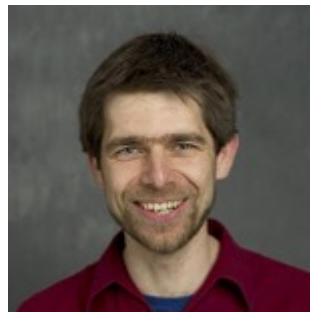


Marcel Demarteau

Collaborators:



Dan Carney (LBL)



Rafael Lang (Purdue)

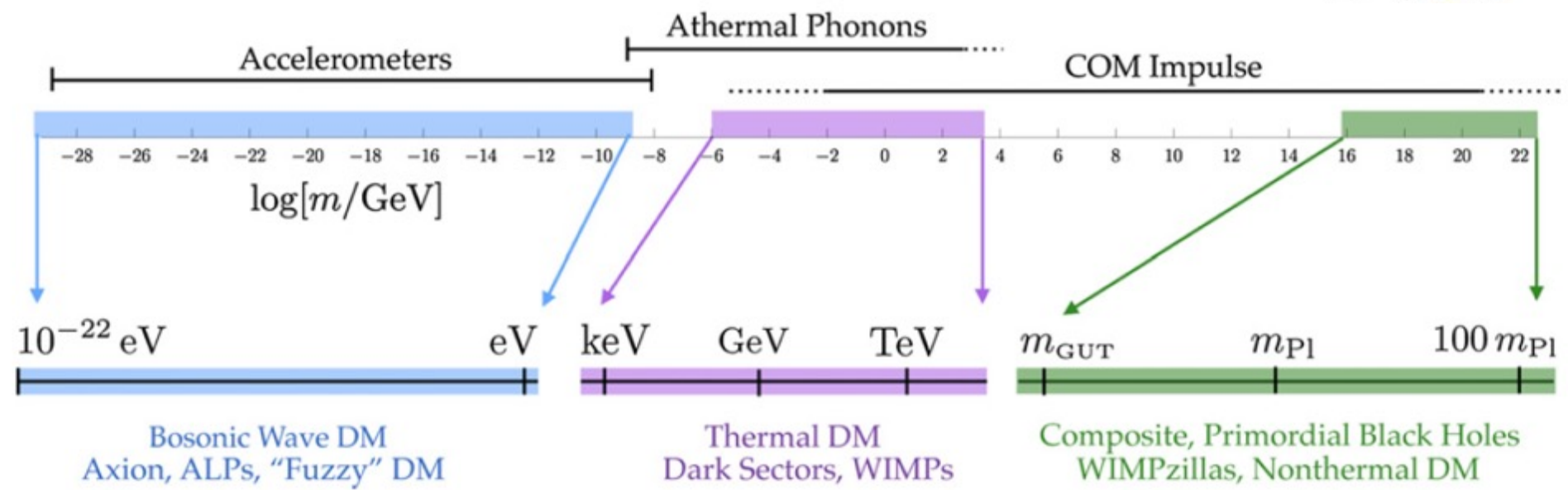


Jake Taylor (JQI)



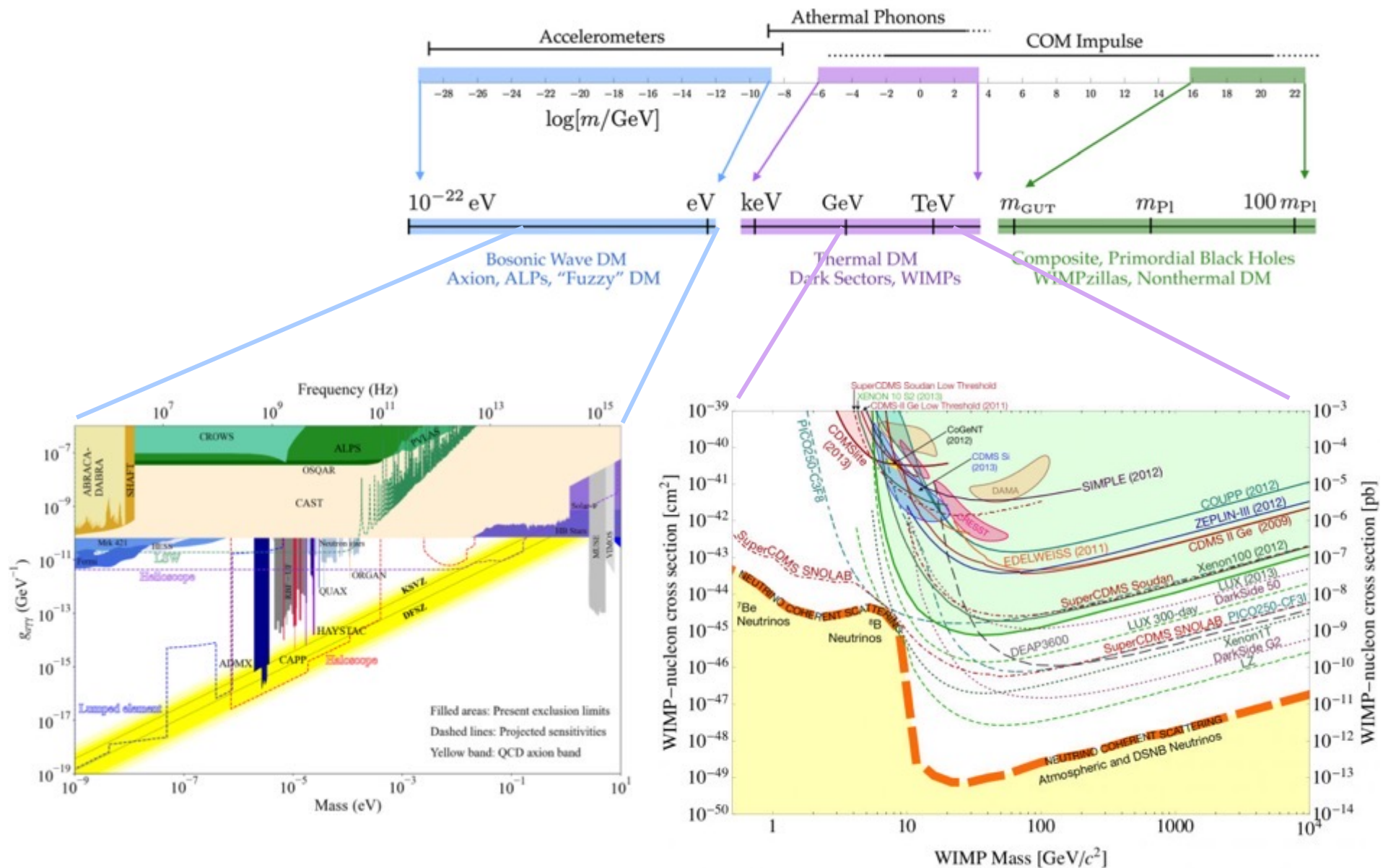
Sunil Bhawe (Purdue)

# The ongoing search for dark matter



**Figure 1.** Range of available dark matter candidates. Current observations allow for dark matter to consist of quanta with an enormous range of masses. See for example [8] for a review. Here we classify these candidates as discrete, particle-like excitations when  $m \gtrsim 1$  eV, and ultralight, wave-like dark matter when  $m \lesssim 1$  eV. Note that for masses  $\gtrsim 1$  PeV, these are necessarily composite objects or some kind of exotica like black hole remnants [31]. A few prototypical models are listed as examples.

**Current theories span 50 orders of magnitude !!!**



Source: phys.org

# A different approach

- What do we know? Dark matter interacts gravitationally...
- So let's try and detect it gravitationally!

- What would be the expected signal?

- Depends on the dark matter mass

- Heavy DM → low number density → impulse signals
- Light DM → high number density → field signals
  - Imagine traveling through a “sea” of DM particles

- Time scales

- Heavy DM

- Earth moving through virialized background of DM with “wind speed”  $v_{DM} \sim 200 \text{ km/s}$
- Assume Maxwellian velocity distribution with cutoff at the galactic escape velocity  $\sim 500 \text{ km/s}$

- Light DM

- Coherence time of the DM field

$$\omega_\chi = \frac{m_\chi c^2}{\hbar}$$

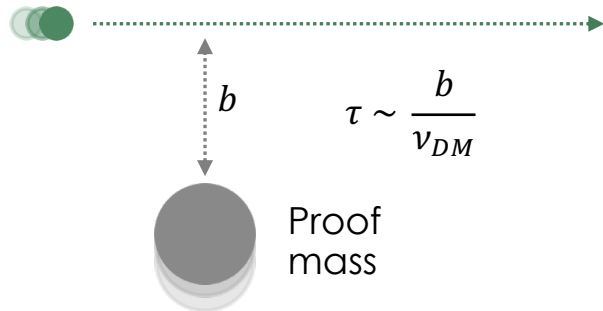
Local  
number  
density

$$n_\chi = \frac{0.3}{\text{cm}^{-3}} \times \left( \frac{1 \text{ GeV}}{m_\chi} \right)$$

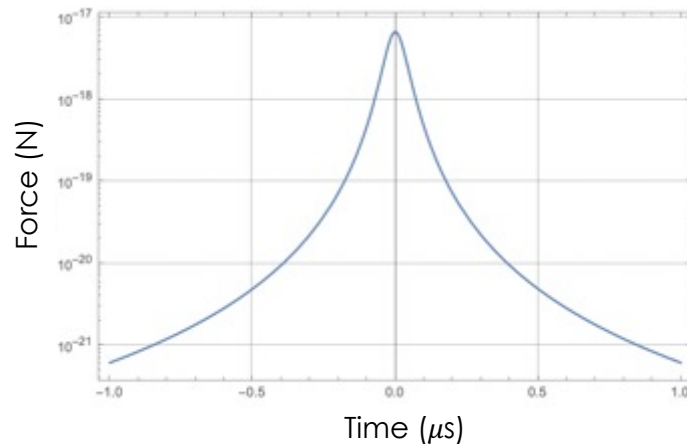
Dark matter  
mass

# Detection scheme – Optical accelerometry

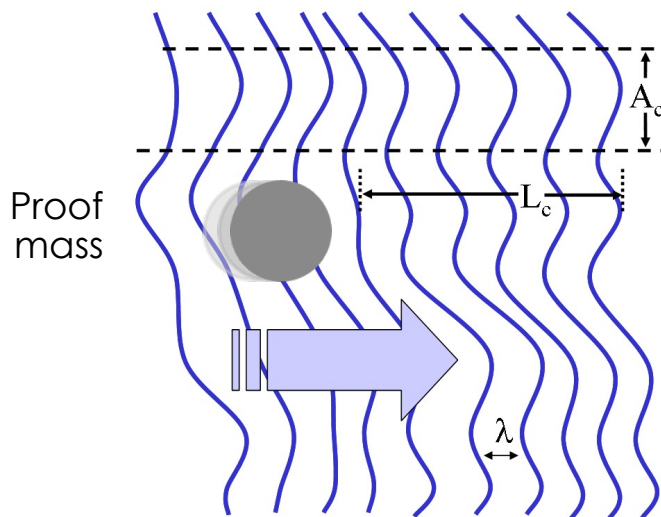
Dark matter particle



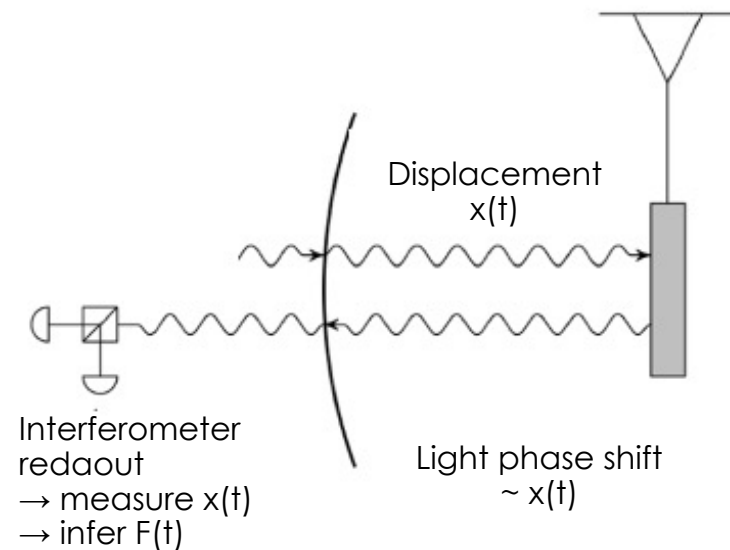
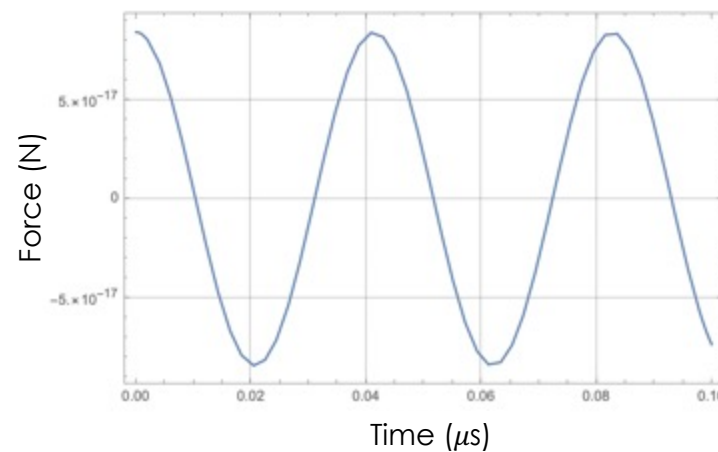
Expected signal



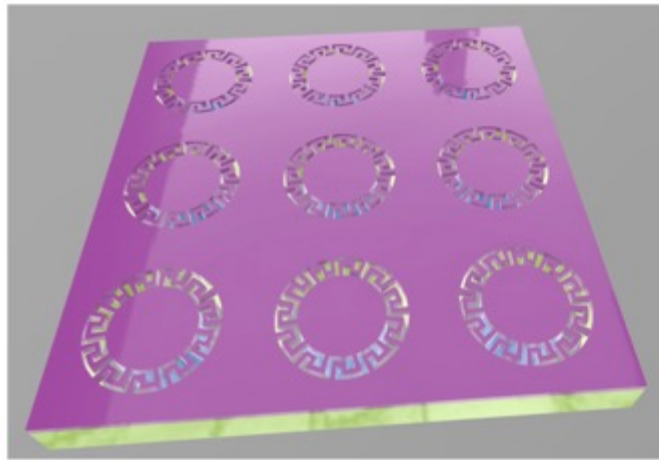
Dark matter "field"



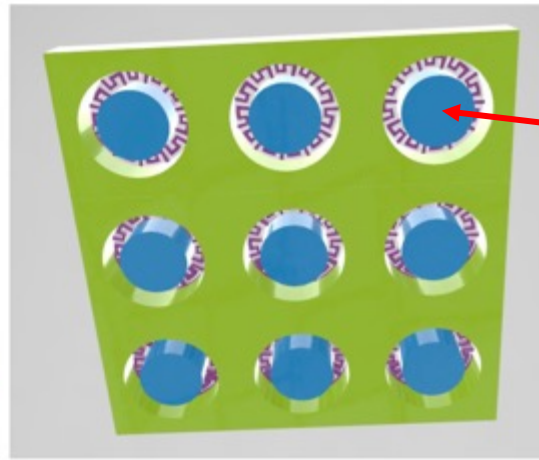
Expected signal



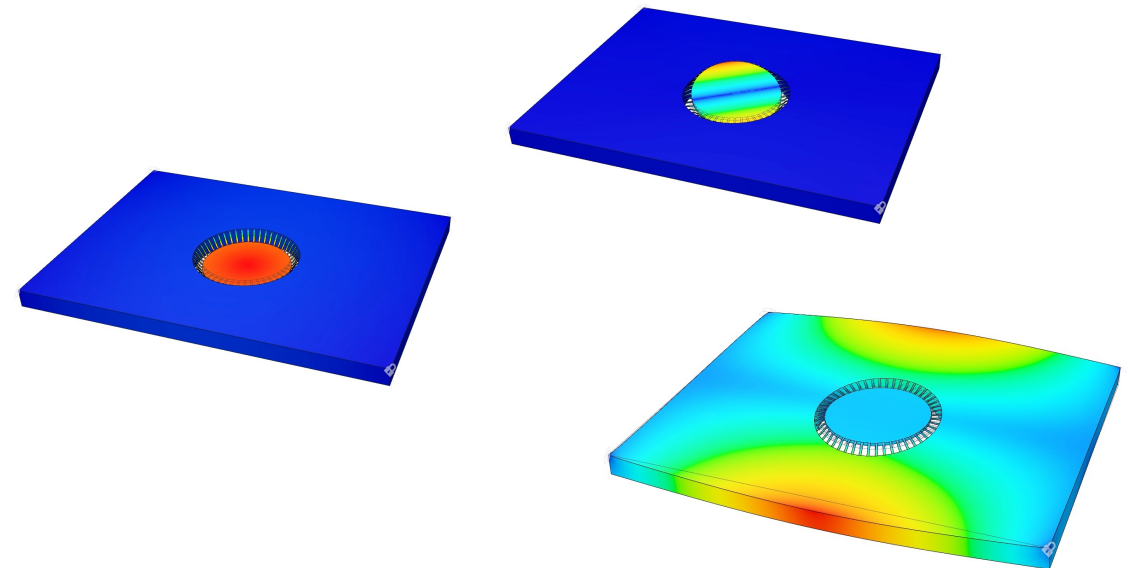
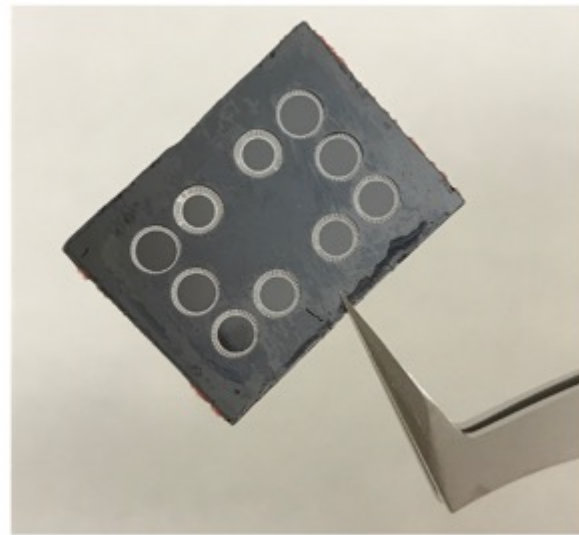
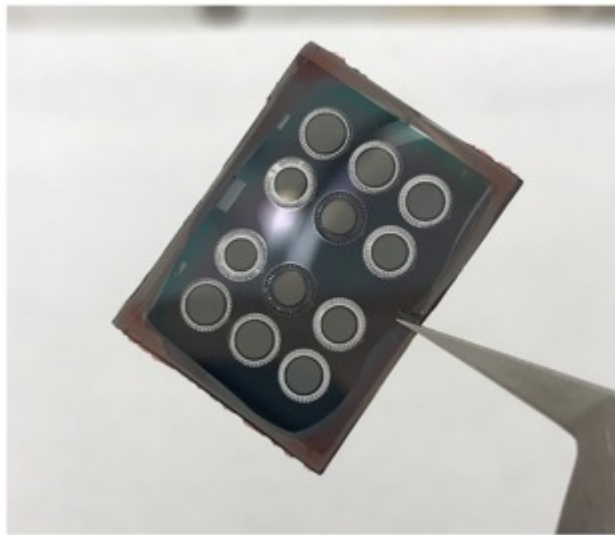
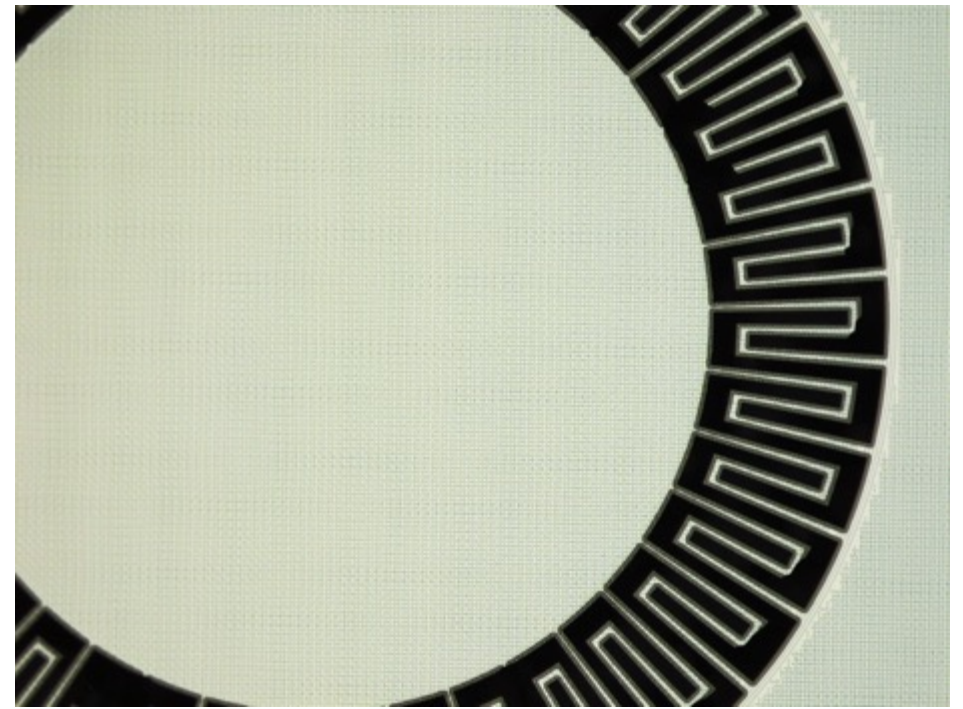
# Purdue resonators – “Proof mass”



Front side



Proof mass



# Sources of noise

**Thermal noise** -  $\propto \gamma m k_B T$

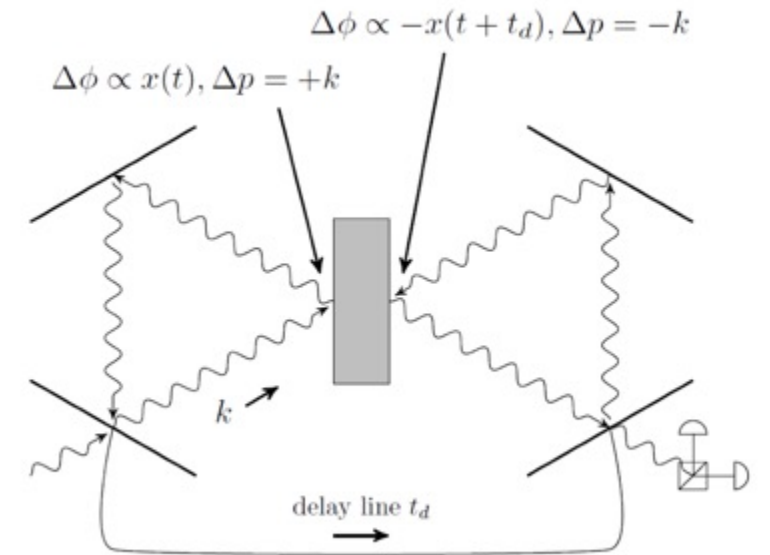
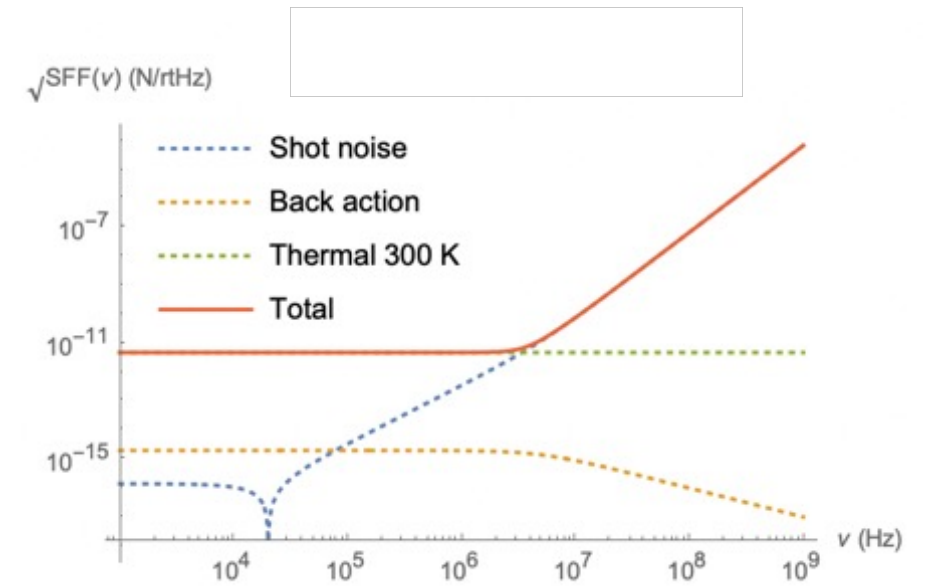
**Shot noise** - Poisson noise from laser intensity

**Back action** – Radiation pressure inducing displacement

Thermal noise can be reduced through cooling

Back action can be reduced using back action evading techniques like the “bow tie” configuration shown on the right

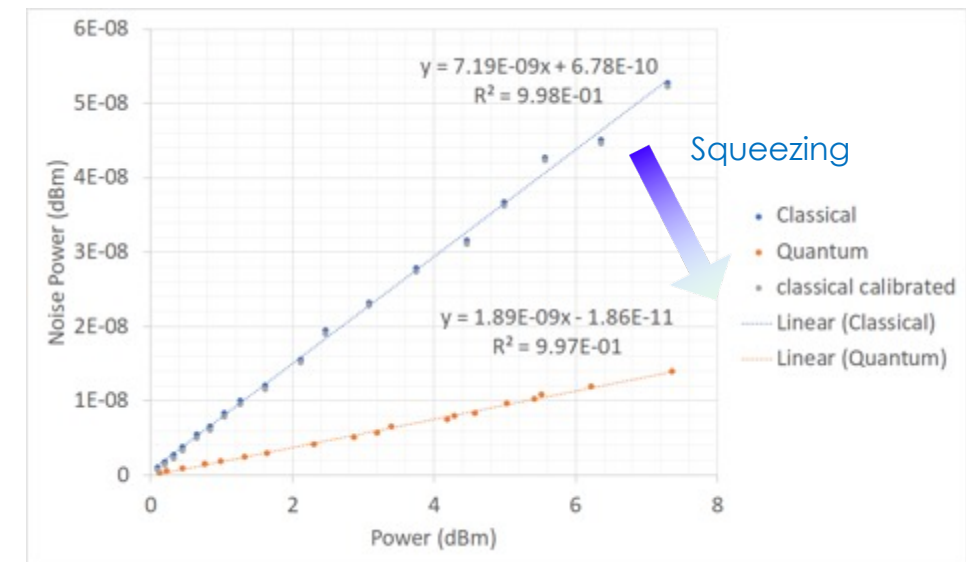
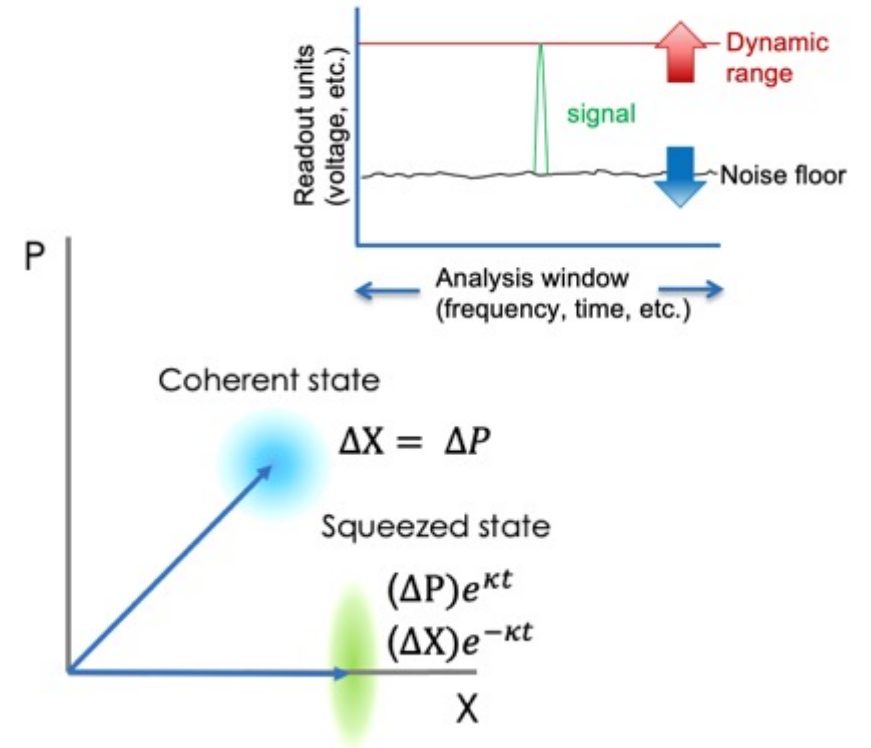
How can we reduce shot noise?



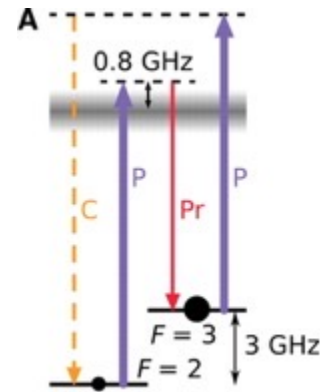
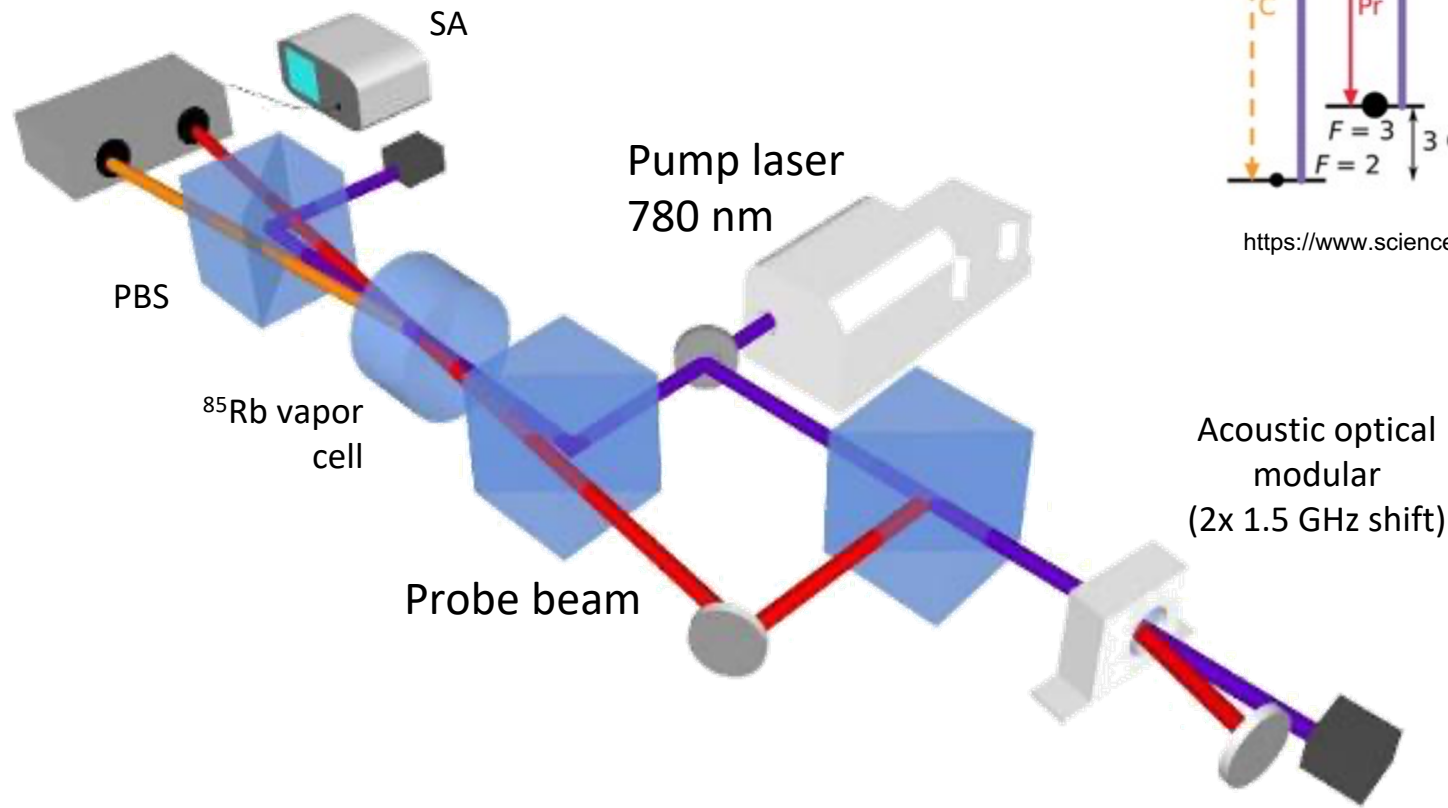
Ghosh, Carney, Shawhan, Taylor, Phys. Rev. A **102**, 023525

# Quantum noise reduction

- The *fundamental detection limit* is the noise floor of the full sensor as viewed at the backend after all filters and computational analysis
- We wish to increase the signal to noise (SNR) by decreasing the noise floor using **quantum noise reduction (QNR), or “squeezing”**
- Coherent states can be thought of as having somewhat random ordering of photons in terms of arrival time at a detector
- Can generate states of light more ordered in time, with less noise in amplitude/phase through the use of a nonlinear process
- Coherent states have symmetric uncertainty in X and P, squeezed states have inverse uncertainties, resulting in one uncertainty axis in phase space appearing “squeezed”



# Entangled light from 4-wave mixing



<https://www.science.org/doi/10.1126/science.1158275>

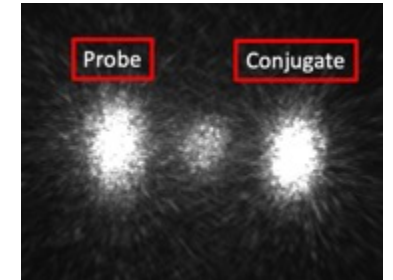
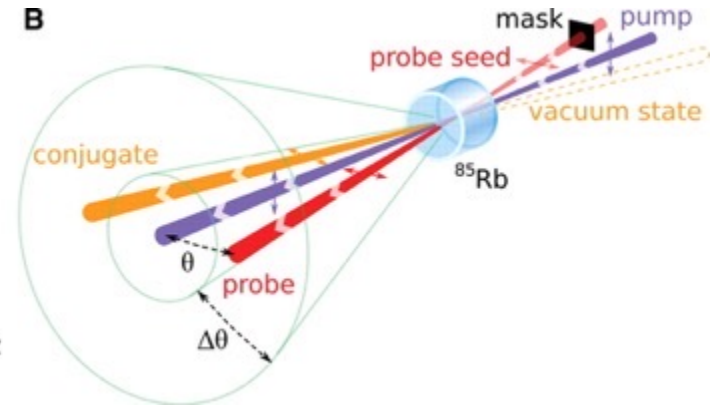
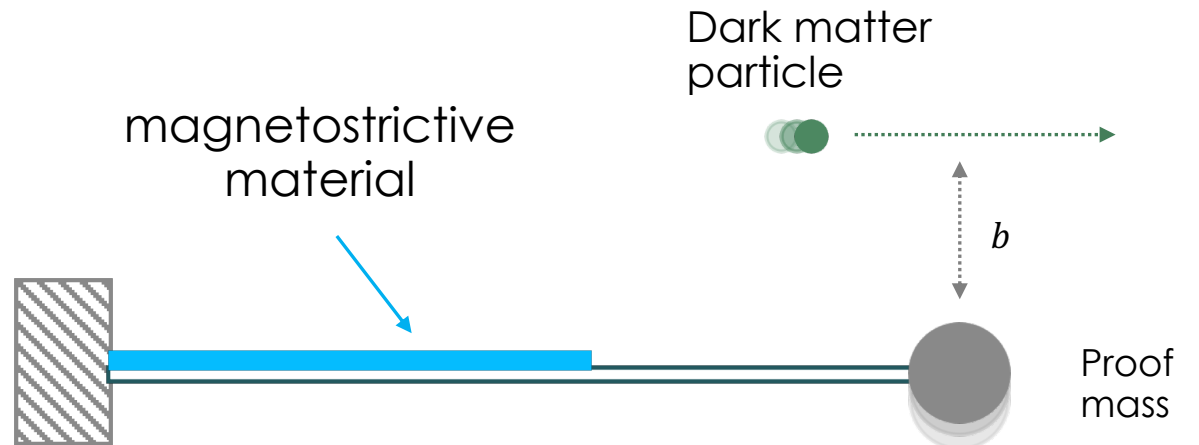


Photo Credit – Claire Marvinney

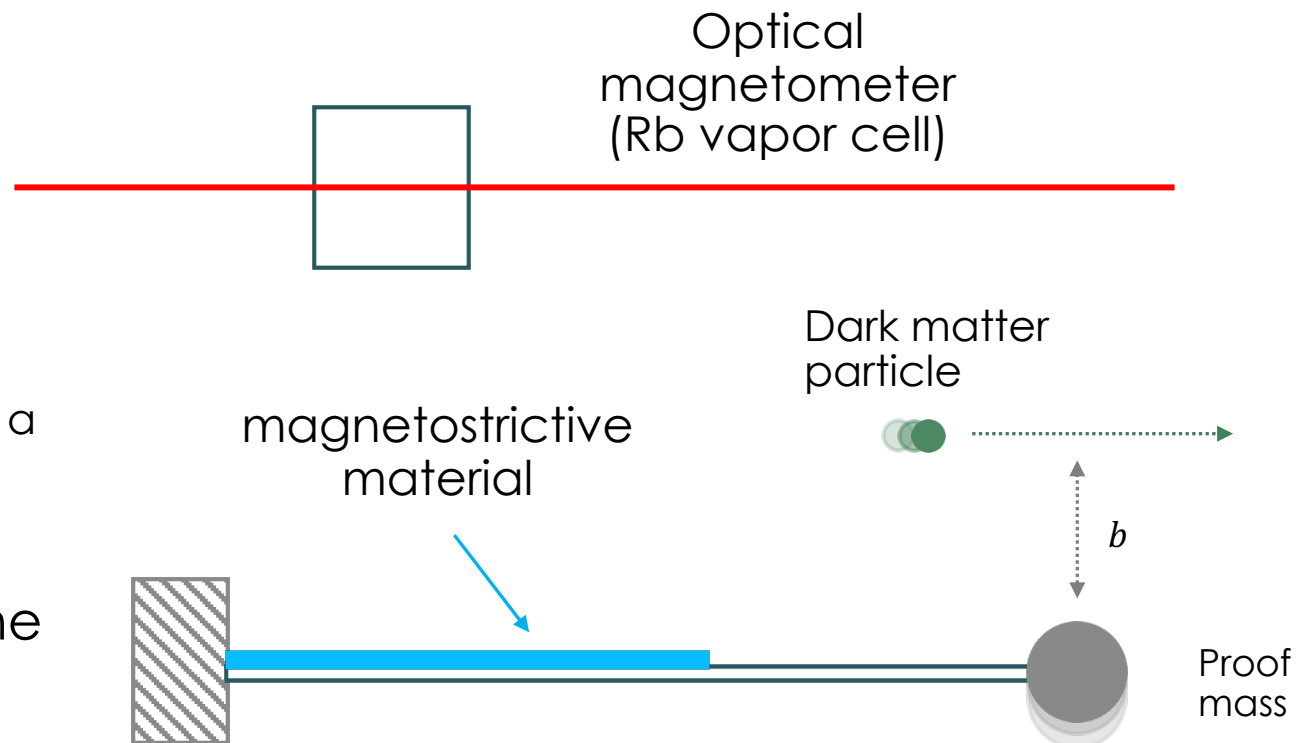
# Another take on back-action evasion

- Consider an alternative approach where we don't readout the position of the proof mass directly with light but rather transduce its response onto another sensor
  - Example would be magnetic transduction
- Piezoelectric materials
  - Stress -> electric field
- Piezomagnetic materials
  - Stress -> magnetic field
- If we create a thin film of magnetostrictive material on a cantilever, the stress from the displacement of the cantilever can modify a local magnetic field



# Another take on back-action evasion

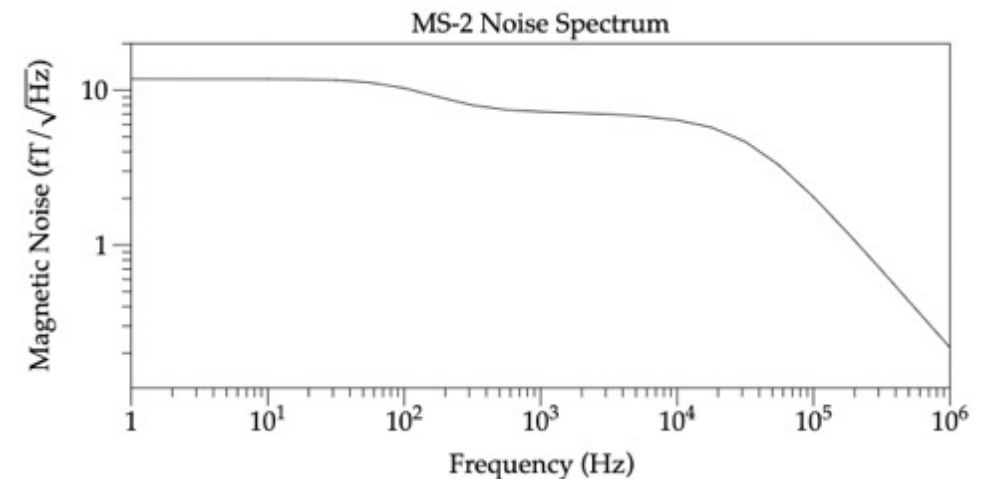
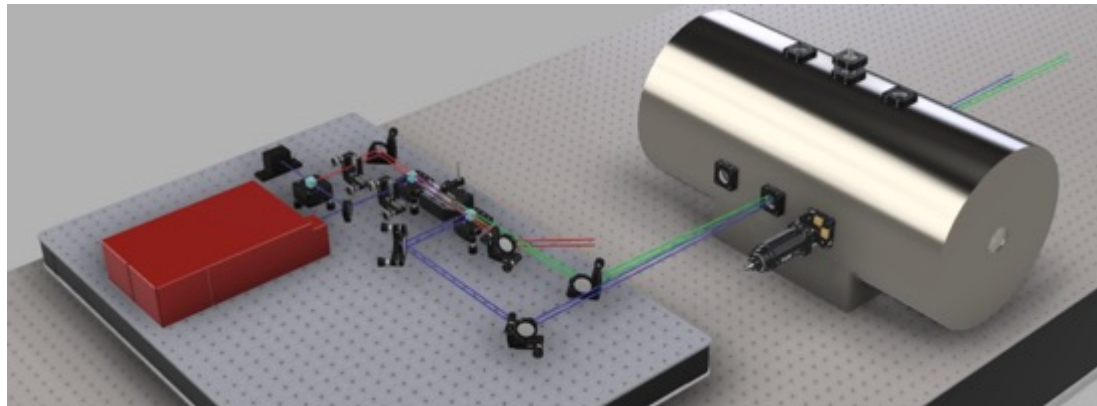
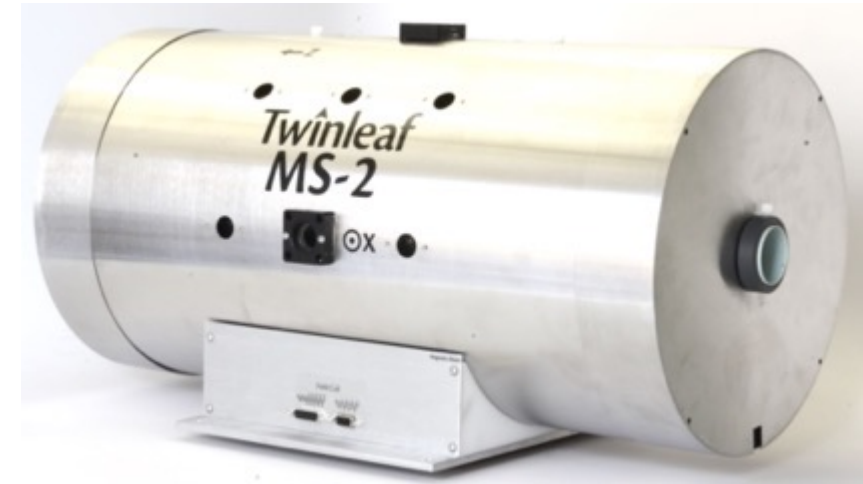
- Under this scheme, the radiation pressure-induced backaction from reading out the resonators is eliminated
  - Multiple resonators can be measured by a single optical magnetometer
- We do introduce backaction in the form of spin-projection noise onto the magnetometer but that can be addressed by using counter-propagating probe beams.
  - Can be done in a single beam → reduces sensitive optical components near the proof masses



# Progress on quantum sensing setup

Construction of the experimental setup is underway

Coupling the squeezed light source to a state-of-the-art magnetic shield



Other uses beyond dark matter detection?

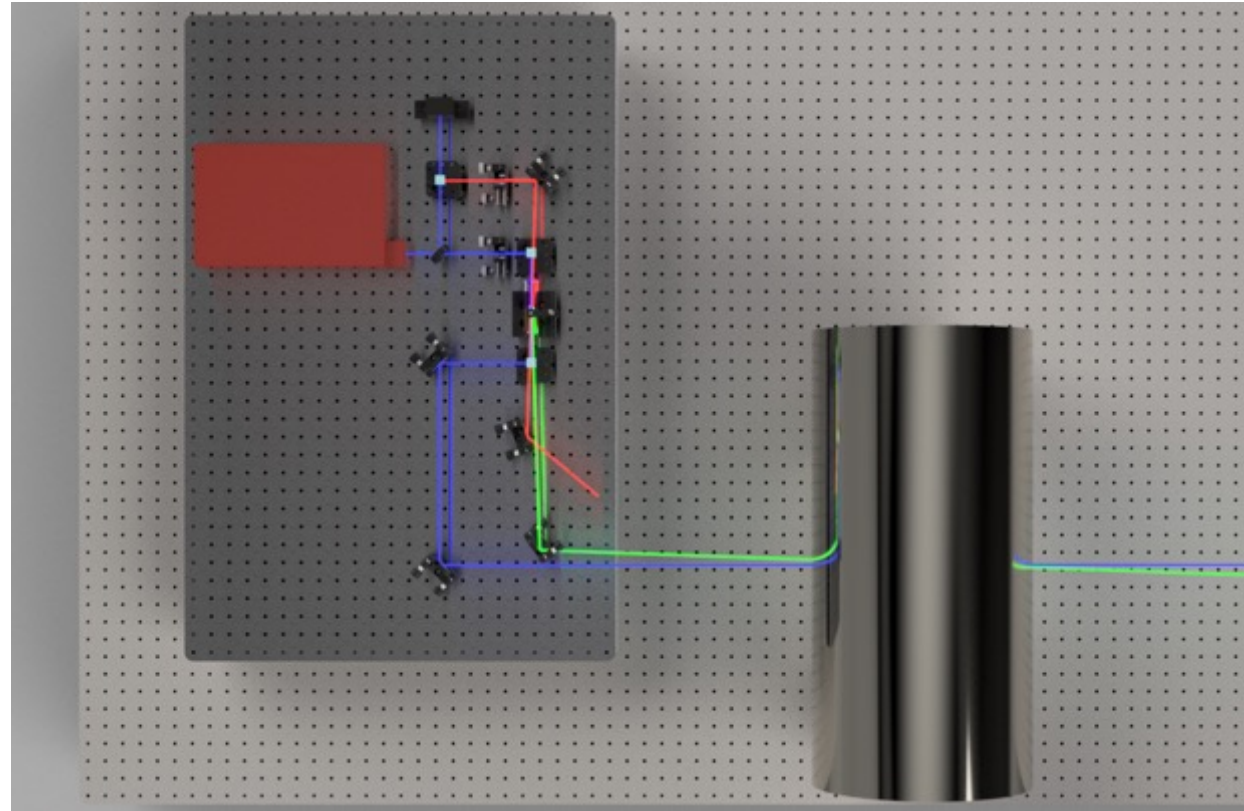
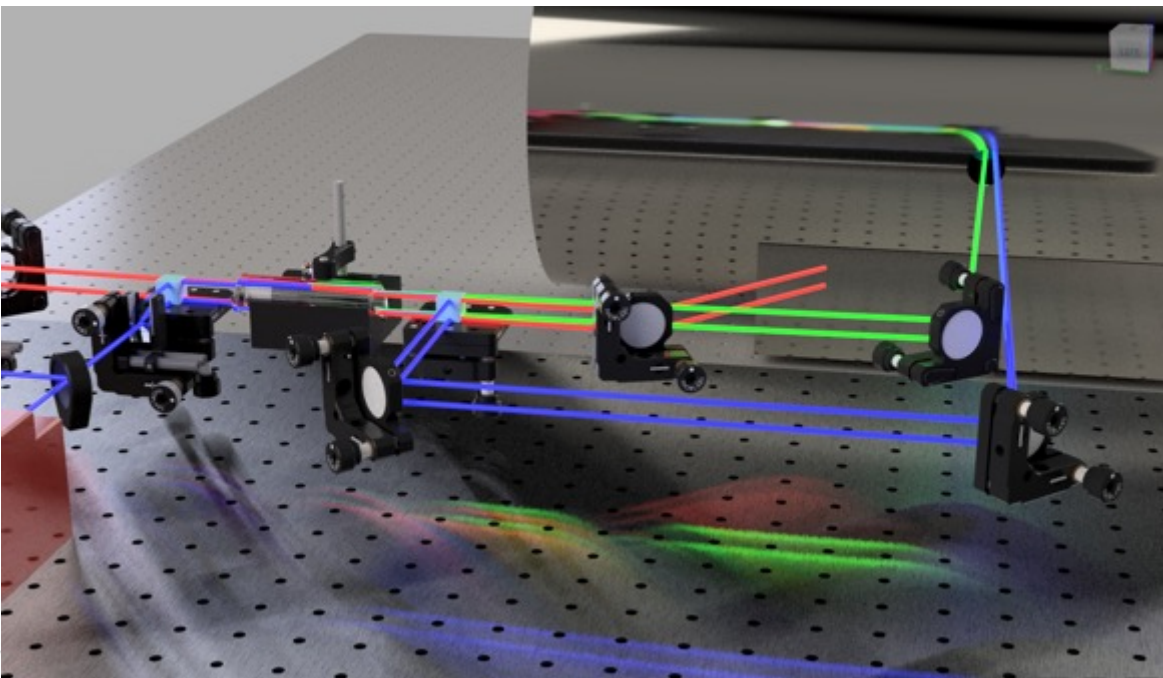
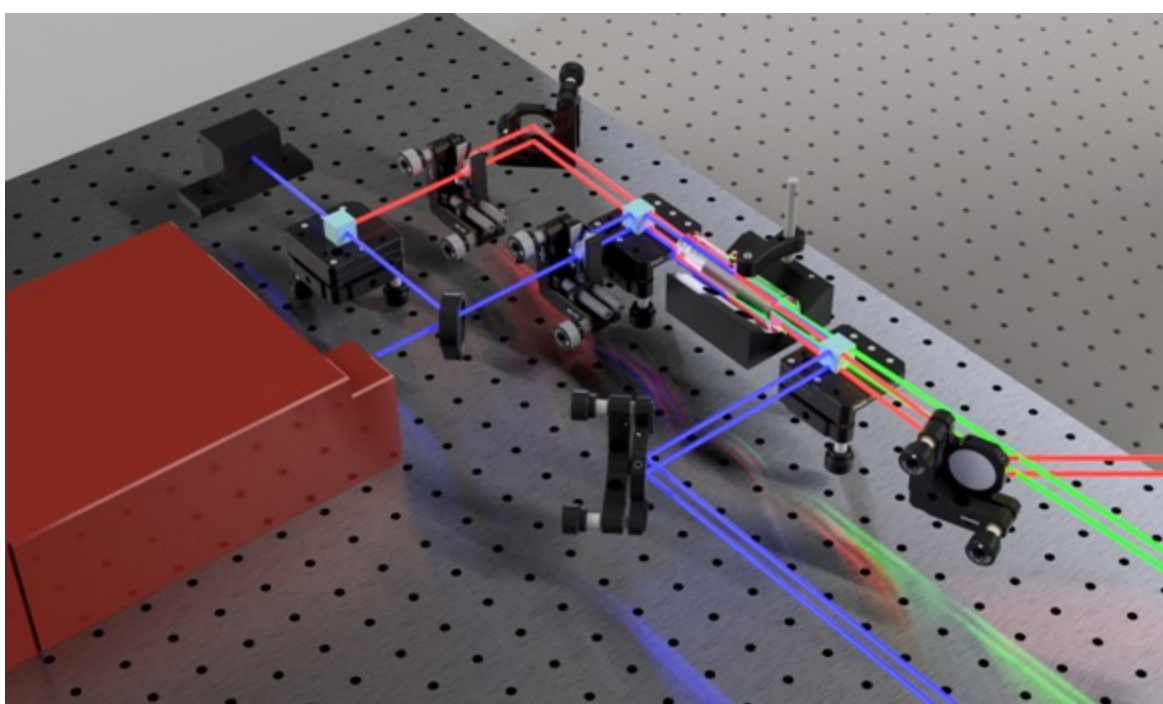
Displacement caused by alpha particle stopping in a resonator

$$x = \sqrt{\frac{2}{k} \left( \frac{4}{4 + A} \right) Q_{\alpha}}$$

For  $Q_{\alpha} = 5 \text{ MeV}$ ,  $A = 234$ , and  $k = 0.03 \text{ N/m}$   
Displacement is  $\sim 900 \text{ nm}$

This is of course assuming no losses but still interesting thing to think about

Classical interferometers should get  $\sim 10 \text{ s pm}$  sensitivity





# Classical to quantum light

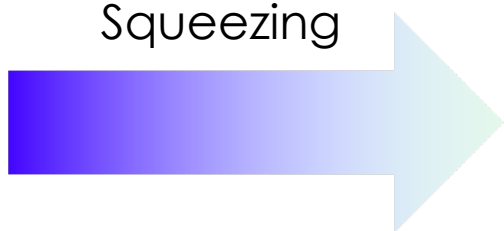
- How can we push below the standard quantum limit?
  - Squeezed coherent states (aka “squeezing”)

Coherent  
(classical) light

$$\Delta n_c = \sqrt{n}$$

$$\Delta \varphi_c = \frac{1}{\sqrt{n}}$$

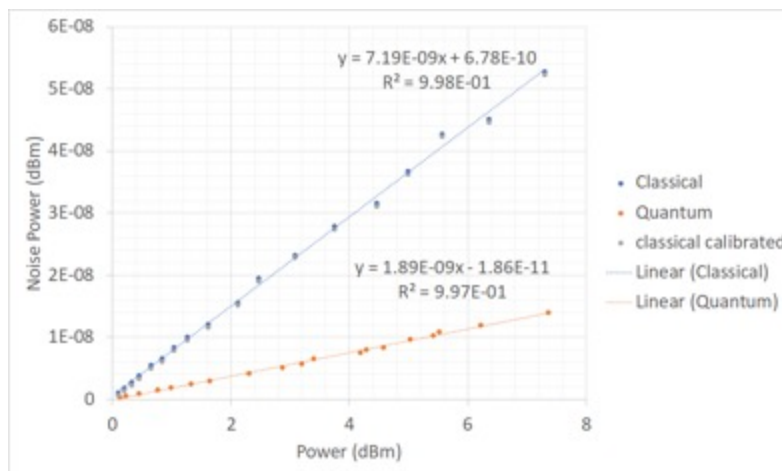
Squeezing



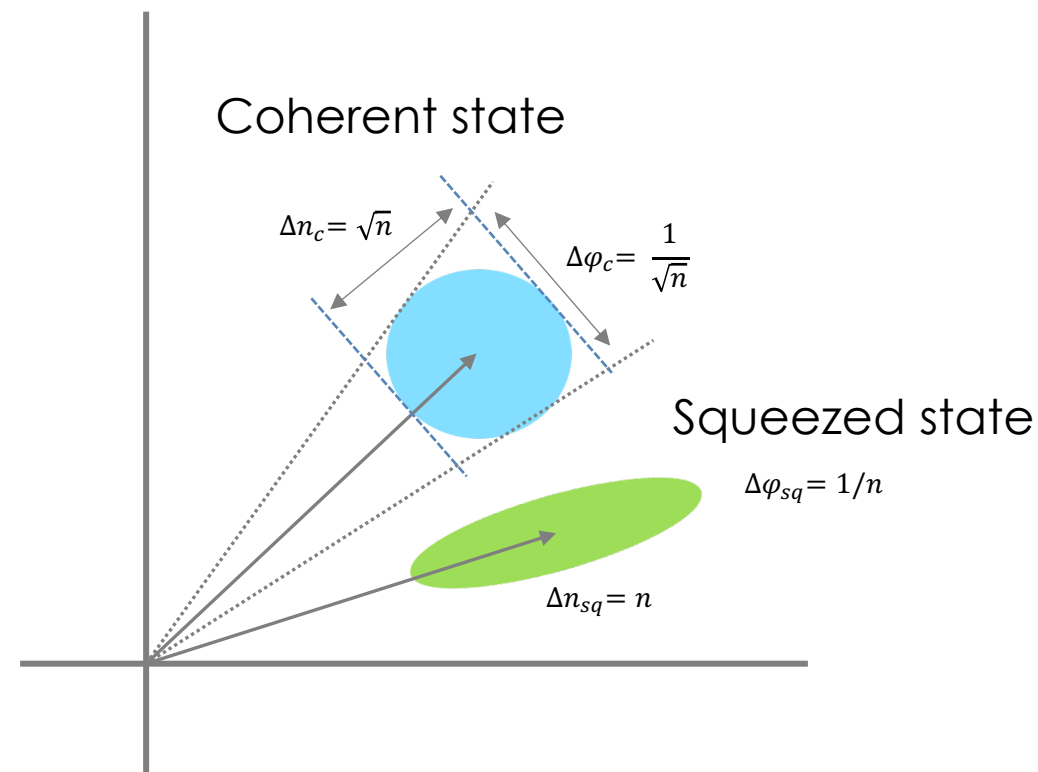
Quantum  
(Non-linear) light

$$\Delta n_{sq} = n$$

$$\Delta \varphi_{sq} = \frac{1}{n}$$



Credit: Claire  
Marvinney



# Excepted dark matter induced signals

	Induced force	Displacement of an oscillator	Magnetic field of an oscillator*
Ultralight Dark matter	$F(t) = F_0 N_n g_{B-L} \text{Cos}(\omega_\chi t)$ <p><math>F_0 \sim 10^{-15}</math>  <math>N_n</math> - Number of neutrons in the sensor  <math>g_{B-L}</math> - Coupling constant <math>&lt; 10^{-22}</math></p>	$x(t) = \frac{F_0 N_n g_{B-L} \text{Cos}(\omega_\chi t)}{k}$ <p><math>k</math> - Force constant</p>	$B(t) = d_{33} E \frac{F_0 N_n g_{B-L} \text{Cos}(\omega_\chi t)}{lk}$ <p><math>l</math> - Cantilever length  <math>E</math> - Youngs modulus  <math>d_{33}</math> - Piezo magnetic constant</p>
Ultraheavy Dark matter	$F(t) = G_N \frac{m_\chi m_s b}{(b^2 + v^2 t^2)^{3/2}}$ <p><math>m_s</math> - Sensor mass  <math>b</math> - Distance of closest approach  <math>v</math> - DM velocity <math>\sim 220</math> km/s</p>	$x(t) = G_N \frac{m_\chi m_s b}{k(b^2 + v^2 t^2)^{3/2}}$ <p><math>k</math> - Force constant</p>	$B(t) = d_{33} E G_N \frac{m_\chi m_s b}{lk(b^2 + v^2 t^2)^{3/2}}$ <p><math>l</math> - Cantilever length  <math>E</math> - Youngs modulus  <math>d_{33}</math> - Piezo magnetic constant</p>

$$\omega_\chi = \frac{m_\chi c^2}{\hbar}$$

$$a = \omega_0^2 x = \frac{k}{m} x$$

\*assuming a piezomagnetic cantilever

# Excepted dark matter induced signals

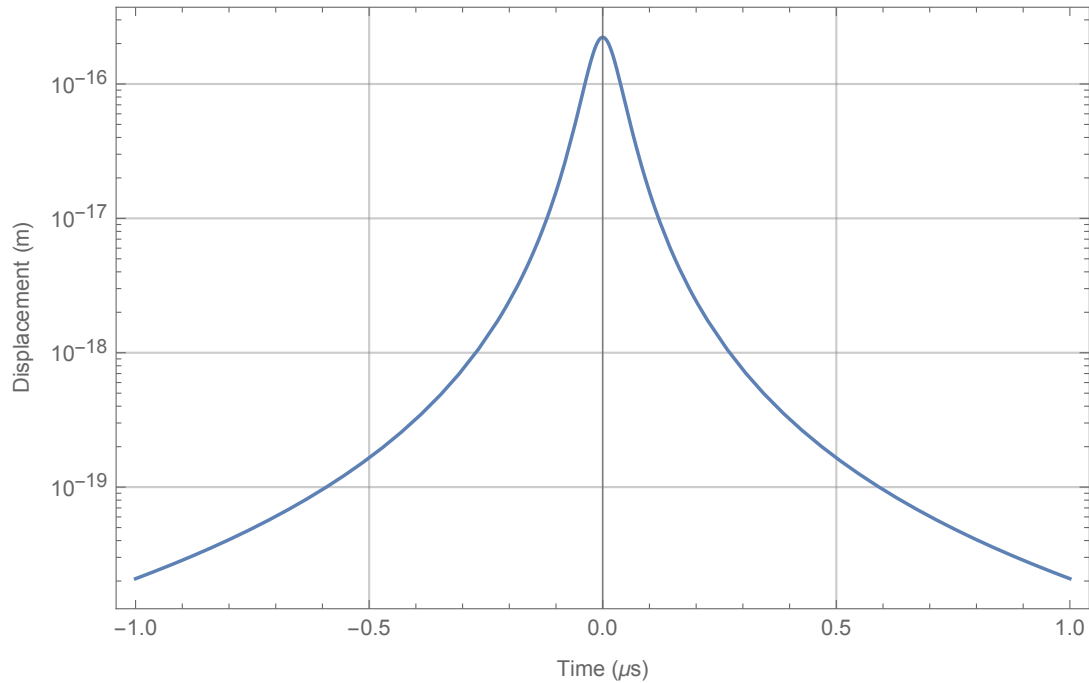
	Time domain	Frequency domain
Ultralight Dark matter	$F(t) = F_0 N_n g_{B-L} \text{Cos}(\omega_\chi t)$ <p> <math>F_0</math> - <math>\sim 10^{-15}</math>  <math>N_n</math> - Number of neutrons in the sensor  <math>g_{B-L}</math> - Coupling constant <math>&lt; 10^{-22}</math> </p>	$F(\nu) = F_0 N_n g_{B-L} \sqrt{\frac{\pi}{2}} \left( \delta(\nu - \omega_\chi) + \delta(\nu + \omega_\chi) \right)$
Ultraheavy Dark matter	$F(t) = G_N \frac{m_\chi m_s b}{(b^2 + v^2 t^2)^{3/2}}$ <p> <math>m_s</math> - Sensor mass  <math>b</math> - Distance of closest approach  <math>v</math> - DM velocity <math>\sim 220</math> km/s                 </p>	$F(\nu) = G_N m_\chi m_s \frac{ \nu }{v^2} \sqrt{\frac{2}{\pi}} K_1 \left[ \frac{b}{v}  \nu  \right]$

$$\omega_\chi = \frac{m_\chi c^2}{\hbar}$$

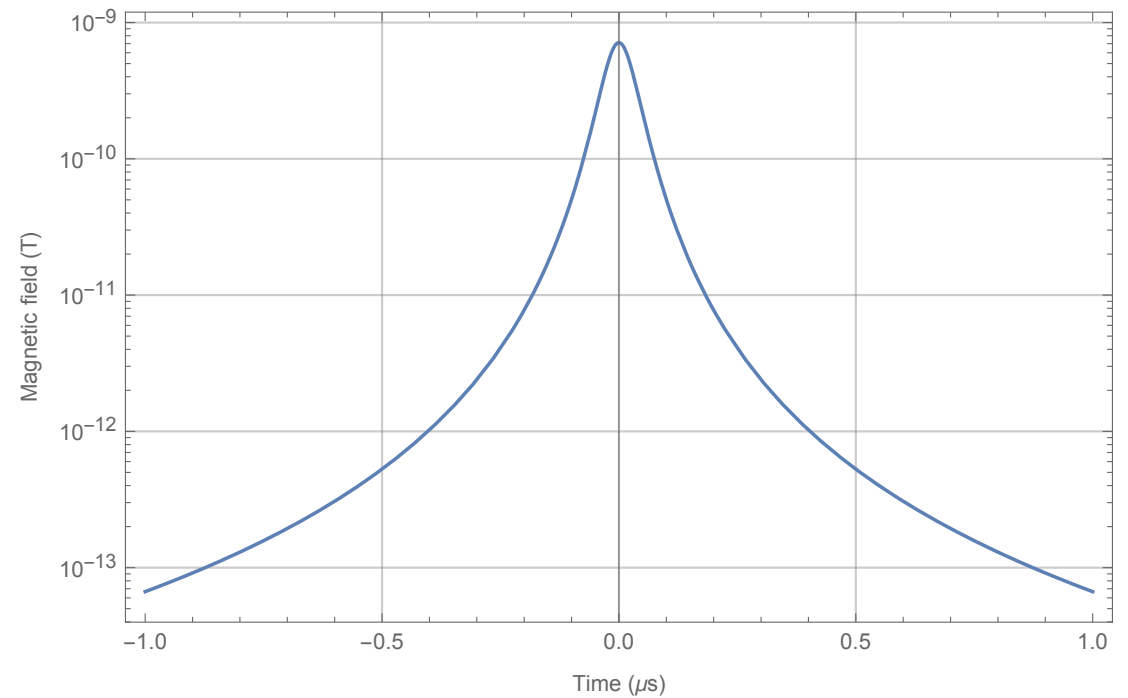
$$a = \omega_0^2 x = \frac{k}{m} x$$

# Excepted dark matter induced signals

## Accelerometry

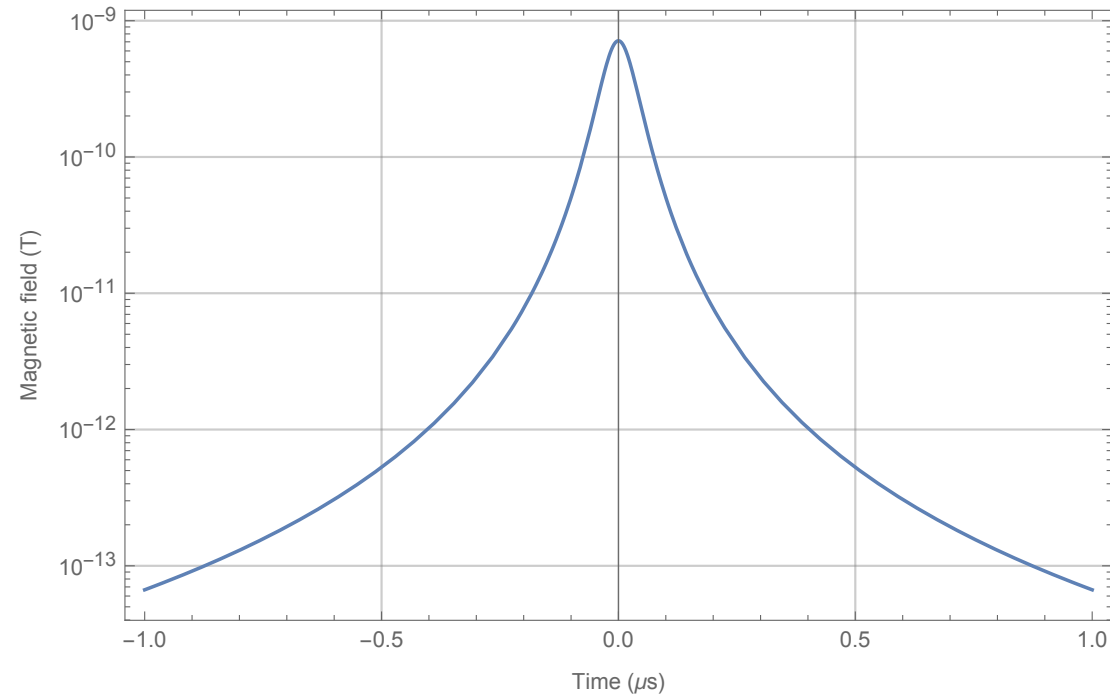


## Magnetometry

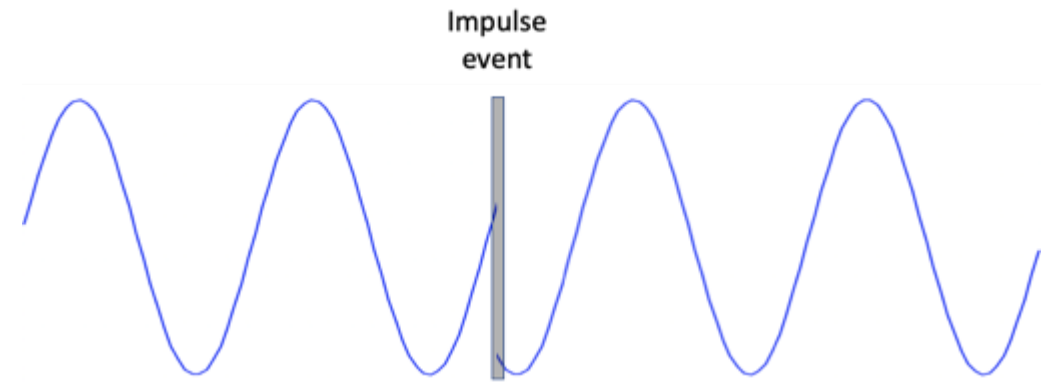


Ultraheavy DM,  $10^{-8}$  kg,  $k = 0.03$  N/m,  $l = 500$   $\mu\text{m}$

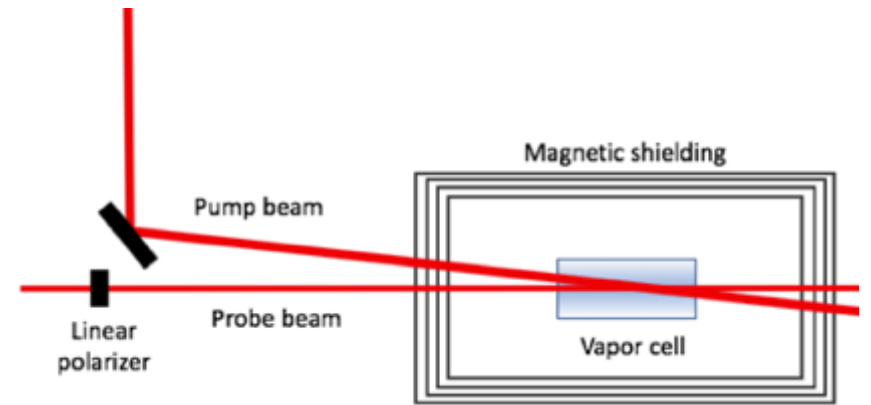
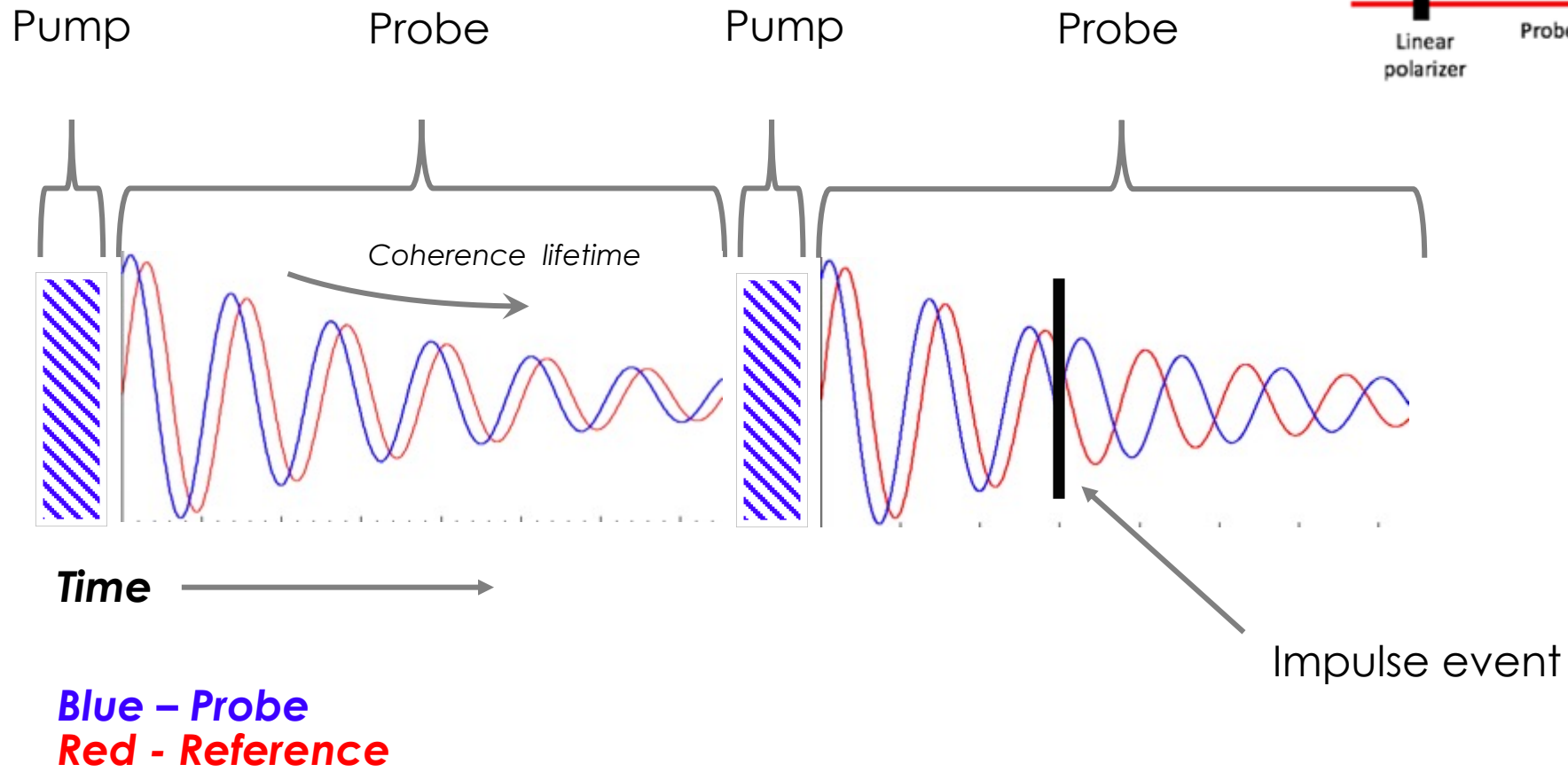
# Back of the envelope calculations



Use phase shift to detect impulse event

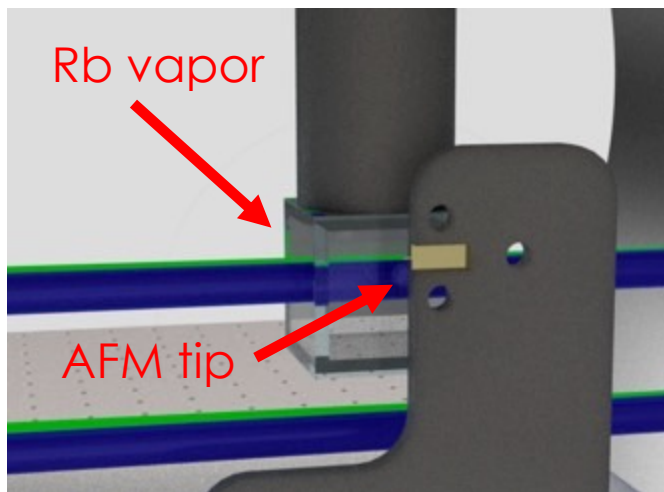


# Exposure (i.e. detector live time)



# Experimental setup

- First experiments will use off-the-shelf AFM tips
  - Gold coated on one side
  - Terfenol-D coated on opposite side
- Synthetic impulse signal will be injected using a “kicker” light pulse reflected on the gold side
- 1x1 cm enriched  $^{87}\text{Rb}$  vapor cell



Rb cell pump /  
probe beams

Kicker light  
pulse input

